

Peer-to-Peer Systems

Structured P2P file sharing systems

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Part 1: Introducing DHTs

Searching and Addressing

- Two basic ways to find objects:
 - Search for them
 - Address them using their unique name
- Both have pros and cons (see below)
- Most existing P2P networks built on searching, but some networks are based on addressing objects
- Difference between searching and addressing is **fundamental**
 - Determines how network is constructed
 - Determines how objects are placed
 - Determines efficiency of object location
- Let's compare searching and addressing

Addressing vs. Searching

- "Addressing" networks find objects by addressing them with their unique name (cf. URLs in Web)
- "Searching" networks find objects by searching with keywords that match objects's description (cf. Google)

Addressing

- Pros:
 - Each object uniquely identifiable
 - Object location can be made efficient
- Cons:
 - Need to know unique name
 - Need to maintain structure required by addresses

Searching

- Pros:
 - No need to know unique names
 - More user friendly
- Cons:
 - Hard to make efficient
 - Can solve with money, see Google
 - Need to compare actual objects to know if they are same

Addressing vs. Searching: Examples

	Searching	Addressing
Physical name of object	Searching in P2P networks, Searching in filesystem (Desktop searches) <small>(Search components of URL with Google?)</small>	URLs in Web
Logical name of object	? <small>(Search components of URNs)</small>	Object names in DHT, URNs
Content or metadata of object	Searching in P2P networks, Standard Google search Desktop searches	N/A

Searching, Addressing, and P2P

- We can distinguish between two main P2P network types

Unstructured networks/systems

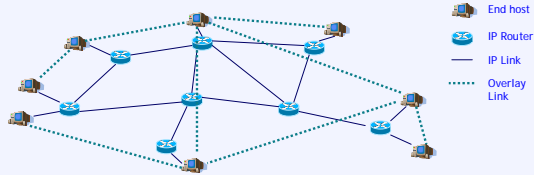
- Based on searching
- Unstructured does **NOT** mean complete lack of structure
 - Network has graph structure, e.g., scale-free
- Network has structure, but peers are free to join anywhere and objects can be stored anywhere
- So far we have seen unstructured networks

Structured networks/systems

- Based on addressing
- Network structure determines where peers belong in the network and where objects are stored
- How to build structured networks?

Overlay Network

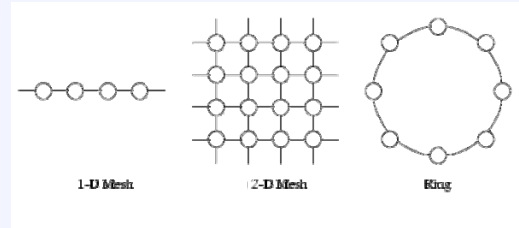
- Overlay network means a virtual network on top of the underlying IP network



- Can have various forms, including regular ones (rings, stars, ...)
- Remember LANs? Logical token ring over physical token bus...

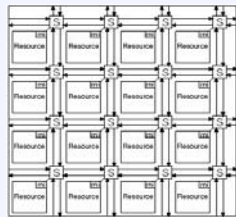
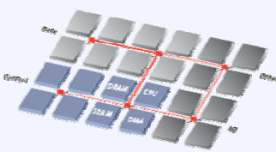
Interconnection networks

- Mainly used for parallel computers: regular network structures with certain advantageous properties
- But also in other areas (e.g. for Networks On Chips, NoCs)



Source: http://www.gup.jku.at/thesi/s/di/pl/oma/chri/sti/an_schaubschl_aeger/

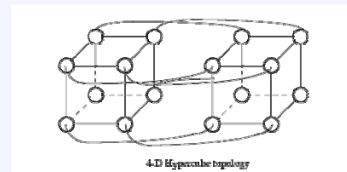
NoCs



- Yes, people put (packet) networks on chips these days...
 - Reason: "design productivity gap" (space grows faster than our ability of using it)
- 2-dimensional grid topology common
 - Easy to build
 - Simple XY routing: from (3,3) to (2,4) means "one left, one down"
 - Note: if (X,Y) can be mapped to an object, finding it in a Grid is easy!
 - Strategies like hot potato routing can be applied (route around congestion instead of congestion control if traffic is small)

Hypercube

- Most prominent interconnection network for parallel systems
- K-dimensional hypercube: 2^k nodes, k connections each
- Scales well: maximum latency in k-dimensional hypercube is $\log_2 N$ ($N = 2^k$)
- Addressing: Gray code
 - K-bit addresses
 - Distance in hops = "bit-distance" (no. of unequal bits)
- Significant efforts were made for mapping parallel programs onto hypercubes



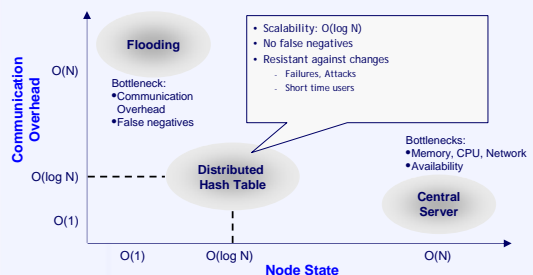
Source: http://www.gup.jku.at/thesi/s/di/pl/oma/chri/sti/an_schaubschl_aeger/

Regular network structures and P2P

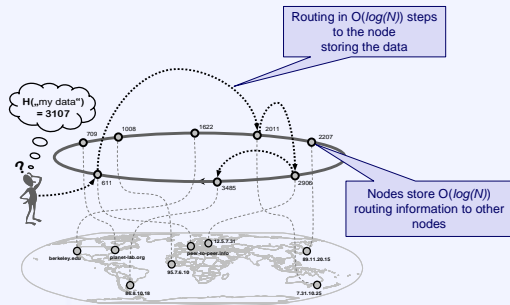
- Question: could structured interconnection networks be used to gain advantages in P2P systems?
 - E.g. create a Hypercube overlay
- Answer:
 - In principle yes, if we have a way to map node addresses to objects for finding them (key must identify objects)
 - But, no: interconnection networks typically designed for static topology
 - E.g. Hypercube based multiprocessor machines: hardware that can be bought
 - They must be adapted to the needs of P2P systems
- P2P file sharing systems need efficient functions for
 - Joining the overlay
 - Leaving the overlay
 - Storing objects and finding objects (related to addressing)
- Typical solution: Distributed Hash Table (DHT)

Distributed Hash Tables (DHTs)

- Communication overhead vs. node state



1.4 Distributed Indexing



Distributed Indexing

- Approach of distributed indexing schemes
 - Data and nodes are mapped into same address space
 - Intermediate nodes maintain routing information to target nodes
 - Efficient forwarding to „destination“ (content - not location)
 - Definitive statement of existence of content

- Problems
 - Maintenance of routing information required
 - Fuzzy queries not primarily supported (e.g. wildcard searches)

System	Per Node State	Communication Overhead	Fuzzy Queries	No false negatives	Robustness
Central Server	$O(N)$	$O(1)$	✓	✓	✗
Flooding Search	$O(1)$	$O(N^2)$	✓	✗	✓
Distributed Hash Tables	$O(\log N)$	$O(\log N)$	✗	✓	✓

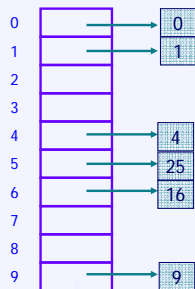
DHT: Motivation

- Why do we need DHTs?
- Searching in P2P networks is not efficient
 - Either centralized system with all its problems
 - Or distributed system with all its problems
 - Hybrid systems cannot guarantee discovery either
- Actual file transfer process in P2P network is scalable
 - File transfers directly between peers
- Searching does not scale in same way
- Original motivation for DHTs:
 - More efficient searching and object location in P2P networks
- Put another way: Use addressing instead of searching

Recall: Hash Tables

- Hash tables are a well-known data structure
- Hash tables allow insertions, deletions, and finds in *constant* (average) time
- Hash table is a fixed-size array
 - Elements of array also called *hash buckets*
- *Hash function* maps keys to elements in the array
 - Note: mapping normally requires one precise key, no complex queries
- Properties of good hash functions:
 - Fast to compute
 - Good distribution of keys into hash table
 - Example: SHA-1 algorithm

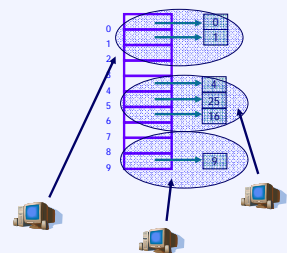
Hash Tables: Example



- Hash function: $hash(x) = x \text{ mod } 10$
- Insert numbers 0, 1, 4, 9, 16, and 25
- Easy to find if a given key is present in the table

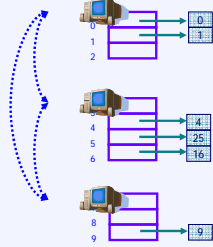
Distributed Hash Table: Idea

- Hash tables are fast for searching
- Idea: Distribute hash buckets (value ranges) to peers
- Result is *Distributed Hash Table* (DHT)
- Need efficient mechanism for finding which peer is responsible for which bucket and routing between them



DHT: Principle

- In a DHT, each node is responsible for one or more hash buckets
 - As nodes join and leave, the responsibilities change
- Nodes communicate among themselves to find the responsible node
 - Scalable communications make DHTs efficient
- DHTs support all the normal hash table operations

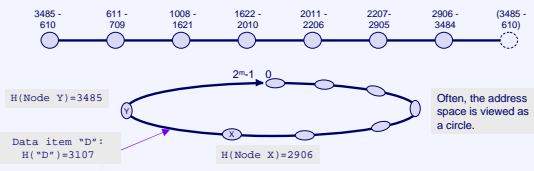


Summary of DHT Principles

- Hash buckets distributed over nodes
- Nodes form an **overlay network**
 - Route messages in overlay to find responsible node
- Routing scheme in the overlay network is the difference between different DHTs
- DHT behavior and usage:**
 - Node knows "object" name and wants to find it
 - Unique and known object names assumed
 - Node routes a message in overlay to the responsible node
 - Responsible node replies with "object"
 - Semantics of "object" are application defined

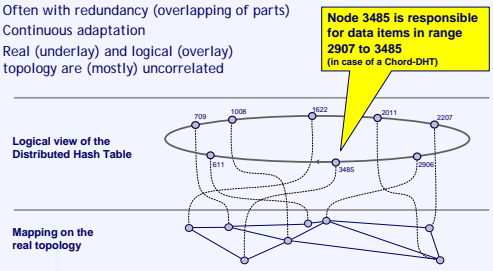
Addressing in Distributed Hash Tables

- Step 1:** Mapping of content/nodes into linear space
 - Usually: $0, \dots, 2^m - 1 \gg$ number of objects to be stored
 - Mapping of data and nodes into an address space (with hash function)
 - E.g., $\text{Hash}(\text{String}) \bmod 2^m: H(\text{"my data"}) \rightarrow 2313$
 - Association of parts of address space to DHT nodes



Association of Address Space with Nodes

- Each node is responsible for a part of the value range
 - Often with redundancy (overlapping of parts)
 - Continuous adaptation
 - Real (underlay) and logical (overlay) topology are (mostly) uncorrelated

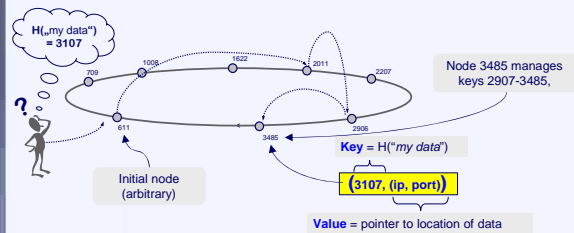


Step 2: Routing to a Data Item

- Step 2:** Locating the data (content-based routing)
- Goal: **Small and scalable effort**
 - $O(1)$ with centralized hash table
 - But: Management of a centralized hash table is very costly (server!)
 - Minimum overhead with distributed hash tables
 - $O(\log N)$: DHT hops to locate object
 - $O(\log N)$: number of keys and routing information per node ($N = \# \text{ nodes}$)

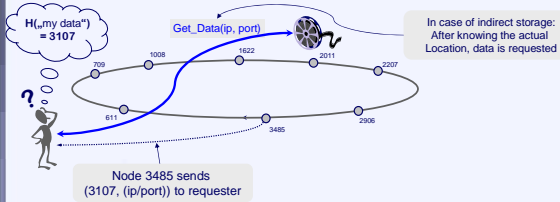
Step 2: Routing to a Data Item / 2

- Routing to a K/V-pair
 - Start lookup at arbitrary node of DHT
 - Route to requested data item (key)



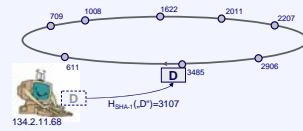
Step 2: Routing to a Data Item /3

- Getting the content
 - K/V-pair is delivered to requester
 - Requester analyzes K/V-tuple
(and downloads data from actual location - in case of indirect storage)



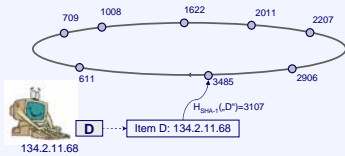
Data-ID Association - Direct Storage

- How is content stored on the nodes?
 - Example: $H("my\ data") = 3107$ is mapped into DHT address space
- Direct storage
 - Content is stored in responsible node for $H("my\ data")$
 - Inflexible for large content - o.k., if small amount data (<1KB)



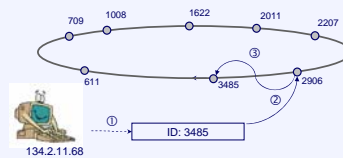
Data-ID Association - Indirect Storage

- Indirect storage
 - Nodes in a DHT store tuples like (key,value)
 - Key = $\text{Hash}(, my\ data) \rightarrow 2313$
 - Value is often real storage address of content: (IP, Port) = (134.2.11.140, 4711)
 - More flexible, but one step more to reach content



Node Arrival

- Joining of a new node
 - Calculation of node ID
 - New node contacts DHT via arbitrary node
 - Assignment of a particular hash range
 - Copying of K/V-pairs of hash range (usually with redundancy)
 - Binding into routing environment

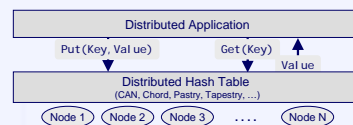


Node Failure / Departure

- Failure of a node
 - Use of redundant K/V pairs (if a node fails)
 - Use of redundant / alternative routing paths
 - Key-value usually still retrievable if at least one copy remains
- Departure of a node
 - Partitioning of hash range to neighbor nodes
 - Copying of K/V pairs to corresponding nodes
 - Unbinding from routing environment

DHT Interfaces

- Generic interface of distributed hash tables
 - Provisioning of information
 - Publish(key,value)
 - Requesting of information (search for content)
 - Lookup(key)
 - Reply
 - Value
- DHT approaches are interchangeable (with respect to interface)
 - Generic DHTs can be built - cf. OpenDHT (<http://www.opendht.org>)



Comparison: DHT vs. DNS

- Comparison DHT vs. DNS
 - Traditional name services follow fixed mapping
 - DNS maps a logical node name to an IP address
 - DHTs offer flat / generic mapping of addresses
 - Not bound to particular applications or services
 - „value“ in (key, value) may be an address, a document or other data

Domain Name System

- Mapping: Symbolic name → IP address
- Is built on a hierarchical structure with root servers
- Names refer to administrative domains
- Specialized to search for computer names and services

Distributed Hash Table

- Mapping: key → value can easily realize DNS
- Does not need a special server
- Does not require special name space
- Can find data that are independently located of computers

Summary: Properties of DHTs

- Use of routing information for efficient search for content
- Keys are evenly distributed across nodes of DHT
 - No bottlenecks
 - A continuous increase in number of stored keys is admissible
 - Failure of nodes can be tolerated
 - Survival of attacks possible
- Self-organizing system
- Simple and efficient realization
- Supporting a wide spectrum of applications
 - Flat (hash) key without semantic meaning
 - Value depends on application
- Fuzzy queries inherently not supported

DHT Examples, Part 1: CAN and Chord

Reminder: all DHT systems provide storage/retrieval of K/V pairs - they differ in the overlay routing scheme.

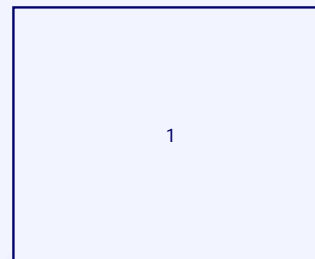
CAN: Content Addressable Network

- Developed at UC Berkeley
 - Originally published in 2001 at Sigcomm conference
- CAN's overlay routing easy to understand
 - Paper concentrates more on performance evaluation
 - Also discussion on how to improve performance by tweaking
- Project did not have much of a follow-up
 - Only overlay was developed, no bigger ensuing efforts

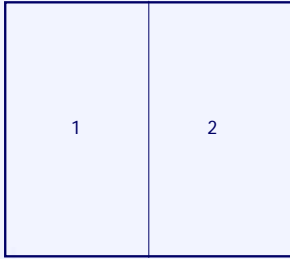
CAN: Basics

- CAN based on D-dimensional Cartesian coordinate space
 - Our examples: $D = 2$
 - One hash function for each dimension
- Entire space is partitioned amongst all the nodes
 - Each node owns a zone in the overall space
- Abstractions provided by CAN:
 - Can store data at points in the space
 - Can route from one point to another
- Point = Node that owns the zone in which the point (coordinates) is located
- Order in which nodes join is important

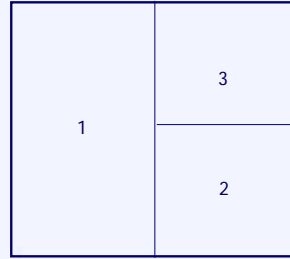
CAN: Partitioning



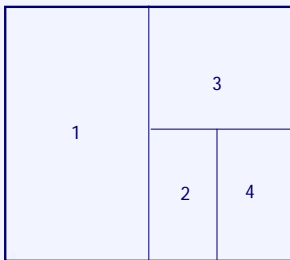
CAN: Partitioning



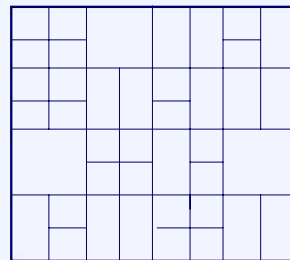
CAN: Partitioning



CAN: Partitioning

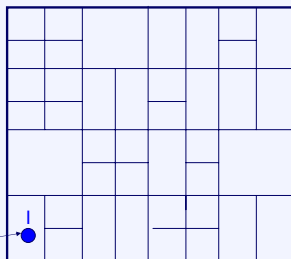


CAN: Partitioning



- CAN forms a d-dimensional torus

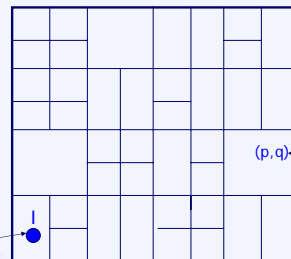
CAN: Node Insertion



Discover some node "l" already in CAN

New node

CAN: Node Insertion

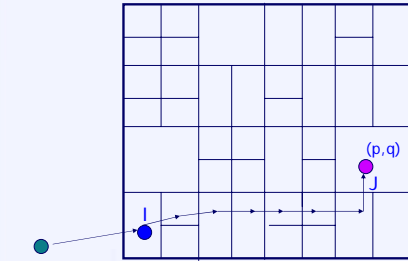


New node picks its coordinates in space

(p, q) - pick random point in space

New node

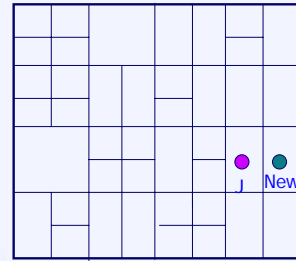
CAN: Node Insertion



I routes to (p,q), and discovers that node J owns (p,q)

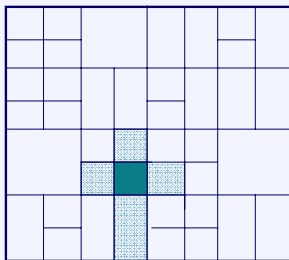
new node

CAN: Node Insertion

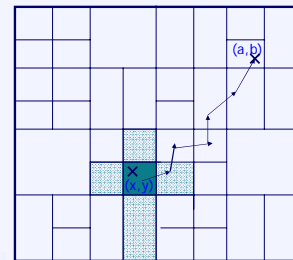


Split J's zone in half. New owns one half

CAN: Routing Table



CAN: Routing

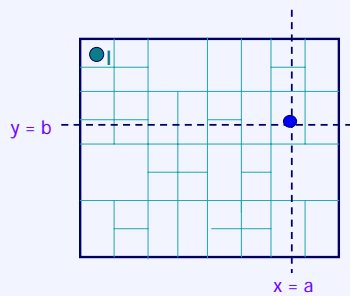


CAN: Storing Values

node I::insert(K,V)

$a = h_x(K)$

$b = h_y(K)$



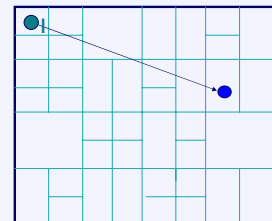
CAN: Storing Values

node I::insert(K,V)

(1) $a = h_x(K)$

$b = h_y(K)$

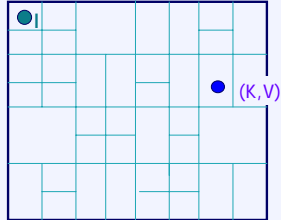
(2) route(K,V) -> (a,b)



CAN: Storing Values

node I::insert(K,V)

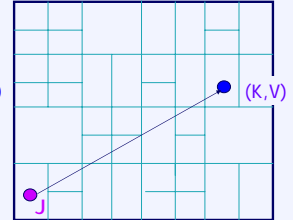
- (1) $a = h_x(K)$
 $b = h_y(K)$
- (2) route(K,V) -> (a,b)
- (3) (a,b) stores (K,V)



CAN: Retrieving Values

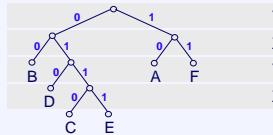
node J::retrieve(K)

- (1) $a = h_x(K)$
 $b = h_y(K)$
- (2) route "retrieve(K)" to (a,b)



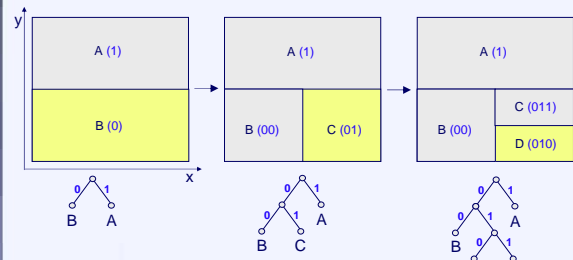
Node Removal

- When a CAN node quits (or disappears), a neighbor must take over
- CAN is based on squares
 - Strange figures could appear... defragmentation needed
 - Tree representation facilitates understanding the process
- Partitioning is performed according to some rules:
 - Strict sequencing of value range partitioning
 - According to order D
 - e.g. x, y, z, x, y, z, ... if D=3



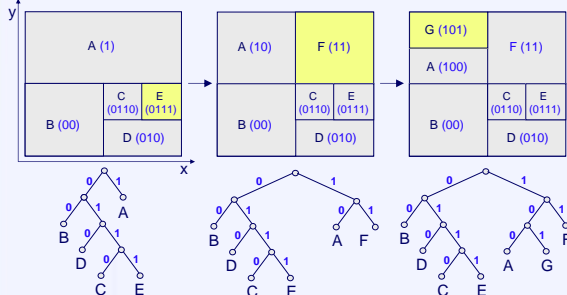
Structure of a CAN - Example

Insertion of nodes A,..., D



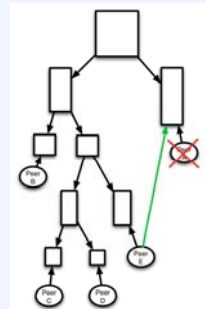
Structure of a CAN - Example /2

Insertion of nodes E, F, G



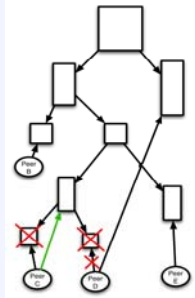
Node Removal

- Region and managed key/value pairs are transferred to neighbor
 - Ideal case: regions can be merged according to prior partitioning -> tree
 - Otherwise: neighbor with smallest number of key gets both regions to manage (no merging!)
- Exit of a node: regular transfer procedure
- Failure of a node: TAKEOVER procedure
 - Non-appearance of periodic update information at neighbors
 - Neighbors initiate timer in proportion to size of region
 - (Smallest) neighbor signals TAKEOVER to other neighbors and takes region over



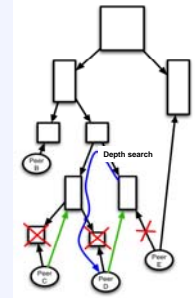
Defragmentation

- Zones are repeatedly reassigned in order to reduce defragmentation
- For every peer which owns at least two zones
 - delete smallest zone
 - find alternate peer which should take over the region
- Simple case: Neighbor zone is not split
 - Both peers are leaves in the CAN tree
 - Assign zone to neighbor peer
 - Eliminates the need to split zone above neighbor peer (only one peer left in charge of it)



Defragmentation /2

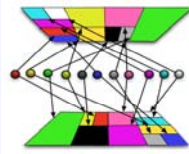
- Difficult case: neighbor zone is split
 - Carry out depth search in neighbor tree until two neighbor leaves are found
 - Assign zones of both leaves to a peer
 - Choose the other peer as replacement
- In the example:
 - Peer E's left assignment removed
 - No other peer directly underneath this region in the tree
 - ⇒ depth first search finds Peer D
 - Reassignment eliminates partitioning of region above Peer C (only one peer left in charge of it)



CAN Performance improvements

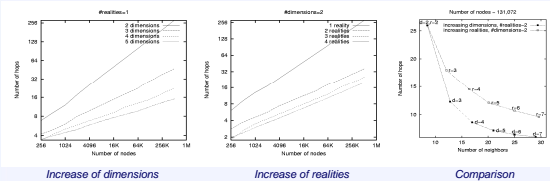
Note: Some of them would also work for other DHTs!

- More dimensions
 - Increases the number of neighbors - decreases the index structure
 - More path selection possibilities
 - Can apply other routing metrics (support for locality):
 - Delay measurement between neighbors
 - Choice of neighbors with the best delay
- More concurrent coordinate systems (realities)
 - More concurrent hash tables - nodes are members of r hash tables
 - (K, V)-tuple is saved within r hash tables
 - Mapping of keys onto r different coordinate systems via different hash functions
 - All "realities" are checked in each routing step



More Dimensions ↔ More Realities

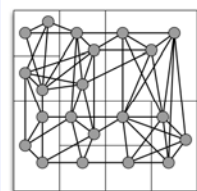
- More dimensions
 - More neighbors
 - More routing possibilities
 - More state information $O(2D)$
- More coordinate systems (r)
 - r possibilities for routing
 - State information $O(r \cdot D)$
 - r -time redundancy



Conclusion: more dimensions lead to shorter paths within the overlay (...but more coordinate systems increase the redundancy)

Other improvements for CAN

- Overlap regions
 - k nodes jointly manage one zone (MAXPEERS nodes per zone)
 - Every peer knows neighbors + all peers in its zone
 - Results:
 - more redundancy
 - Faster routing paths because of smaller number of zones ($O(\text{MAXPEERS})$ path length reduction)
 - Multiple possible paths enable locality support
- Equal (uniform) partition of regions
 - Target zone tests during join procedure, whether there are "large" neighbors in proximity being more qualified for partitioning-
- Multiple hashing
 - Objects stored multiple times with different keys
 - Increases robustness, reduces distances (lookup only needed to closest copy, no. of hops is indirectly proportional to no. of copies)



CAN improvements and Complexity

- Overlay-Underlay mapping: Use well-known landmark servers
 - Nodes join CAN in different areas, depending on distance to landmarks
 - Pick points "near" landmark
 - Idea: Geographically close nodes see same landmarks
- CAN Complexity: ($D = \text{dimensions (assumed to be 2 up to now), } N = \text{number of peers}$)
 - State information per node : $O(D)$
 - Need to neighbors per coordinate axis
 - Independent of N
 - Routing: $O(D N^{1/D})$ hops within overlay
 - Effort = $O(\log N)$, with $D = \log N$
 - Problem: N has to be known before
 - For routing: multiple dimensions are better
 - But: multiple realities improve availability and fault tolerance

Chord

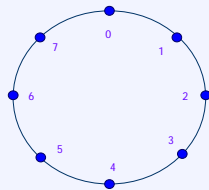
- Chord was developed at MIT
 - Originally published in 2001 at Sigcomm conference (like CAN!)
- Chord's overlay routing principle quite easy to understand
 - Paper has mathematical proofs of correctness and performance
- Many projects at MIT around Chord
 - CFS storage system
 - Ivy storage system
 - Plus many others...

Chord: Basics

- Chord uses SHA-1 hash function
 - Results in a 160-bit object/node identifier
 - Same hash function for objects and nodes
- Node ID hashed from IP address, object ID hashed from object name
 - Object names somehow assumed to be known by everyone
- SHA-1 gives a 160-bit identifier space
- Organized in a **ring** which wraps around (i.e. modulo arithmetic)
 - Nodes keep track of **predecessor** and **successor**
 - Node responsible for objects between its predecessor and itself
 - Overlay is often called "Chord ring" or "Chord circle"

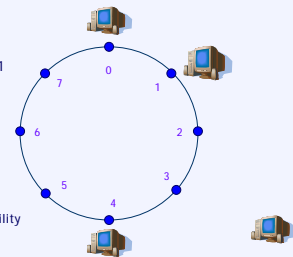
Joining: Step-By-Step Example

- Setup: Existing network with nodes on 0, 1 and 4
- Note: Protocol messages simply examples
- Many different ways to implement Chord
 - Here only conceptual example
 - Covers all important aspects



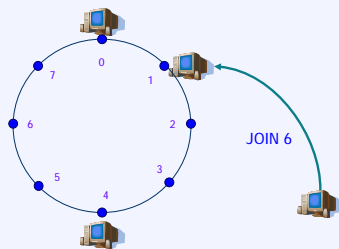
Joining: Step-By-Step Example: Start

- New node wants to join
- Hash of the new node: 6
- Known node in network: Node1
- Contact Node1
 - Include own hash
- Remember, status of the ring:
 - Each node knows predecessor
 - Each node knows successor
 - Each node knows its responsibility
 - Node 0: data for [4..0]
 - Node 1: data for [0..1]
 - Node 4: data for [1..4]

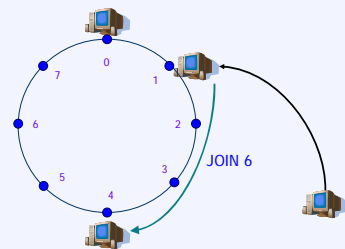


Joining: Step-By-Step Example: Contact known node

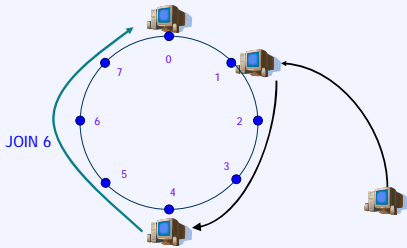
- Arrows indicate open connections
- Example assumes connections are kept open, i.e., messages processed recursively
- Iterative processing is also possible



Joining: Step-By-Step Example: Join gets routed along the network

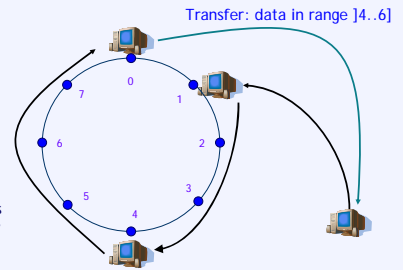


Joining: Step-By-Step Example: Successor of a new node found



Joining: Step-By-Step Example: Join successful + transfer

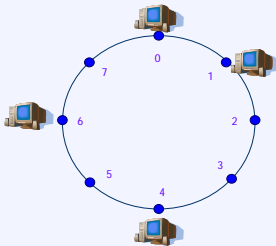
- Joining is successful
- Old responsible node transfers data that should be in new node
- New node informs node 4 about new successor (not shown)



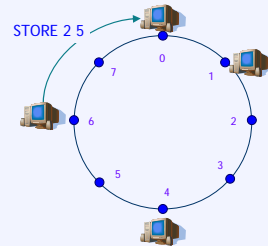
Note: transferring can also happen later

Storing a Value

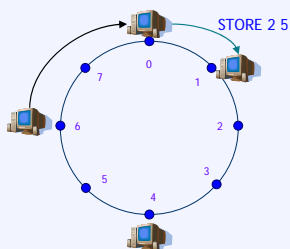
- Node 6 wants to store object with name "Foo" and value 5
- hash(Foo) = 2



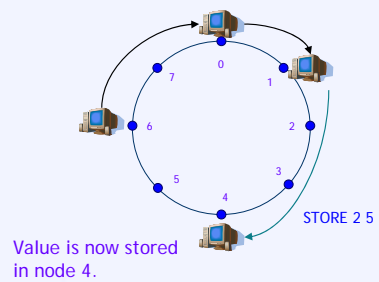
Storing a Value



Storing a Value

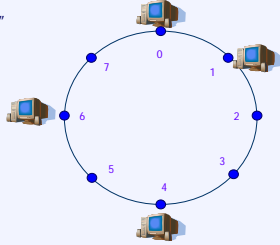


Storing a Value

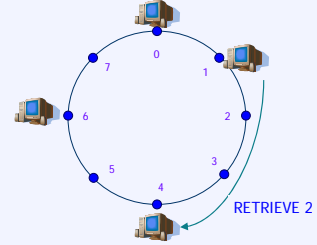


Retrieving a Value

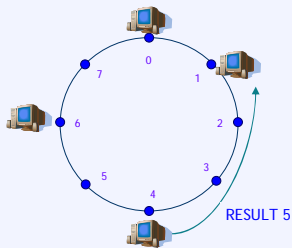
- Node 1 wants to get object with name "Foo"
- hash(Foo) = 2
- Foo is stored on node 4



Retrieving a Value



Retrieving a Value

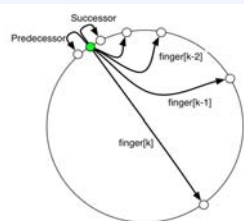


Chord: Scalable Routing

- Routing happens by passing message to successor
- What happens when there are 1 million nodes?
 - On average, need to route 1/2-way across the ring
 - In other words, 0.5 million hops! Complexity $O(n)$
- How to make routing scalable?
- Answer: Finger tables
 - Keep track of more nodes than just successor and predecessor
 - Allow for faster routing by jumping long way across the ring
 - Routing scales well, but needs more state information
- Finger tables not needed for correctness, only performance improvement

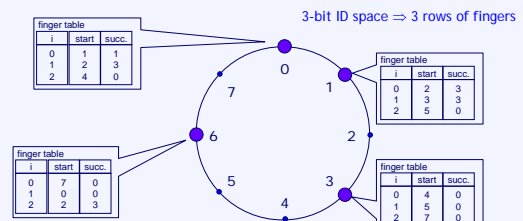
Chord: Finger Tables

- In m -bit identifier space, node has up to m fingers
 - Fingers are stored in the finger table
- Row i in finger table at node n contains first node s that succeeds n by at least 2^{i-1} on the ring
 - In other words:
 - $finger[i] = successor(n + 2^{i-1})$
 - First finger is immediate successor
- Distance to $finger[i]$ is at least 2^{i-1}
- Finger intervals increase with distance from node n
 - If close, short hops; If far, long hops



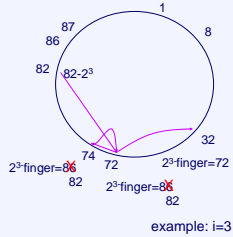
Chord: Scalable Routing

- Two key properties:
- Each node only stores information about a small number of nodes
 - Cannot in general determine the successor of an arbitrary ID



Joining: update of finger pointers

- Node 82 joins
- Finger entries to node 86 may point now to new node 82
- Candidates for updates:
 - Nodes (counter-clockwise), whose 2ⁱ-th finger entry have to point to N
- Check predecessors t_i of keys (s - 2ⁱ)
 - Route to s - 2ⁱ
- If t's 2ⁱ-finger points to a node beyond N:
 - change t's 2ⁱ-finger to N
 - Set t to predecessor of t and repeat
- ELSE continue with 2ⁱ⁺¹
- O(log² N) for looking up and updating finger entries



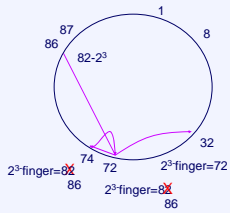
example: i=3

Node Departure

- Deliberate node departure
 - clean shutdown instead of failure
- For simplicity: treat as failure
 - system already failure tolerant
 - soft state: automatic state restoration
 - state is lost briefly
 - invalid finger table entries: reduced routing efficiency
- For efficiency: handle explicitly
 - notification by departing node to
 - successor, predecessor, nodes at finger distances
 - copy (key, value) pairs before shutdown

Node Departure /2

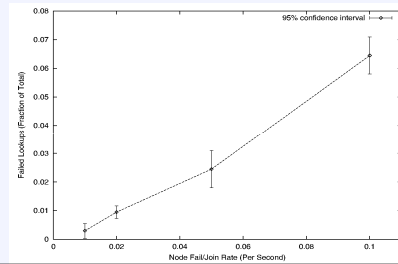
- Similar procedure as with node join
 - Update of fingers pointing to departing node similar to node join procedure



Example: i=3

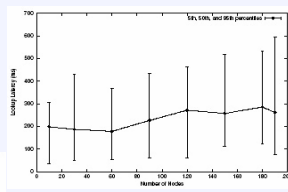
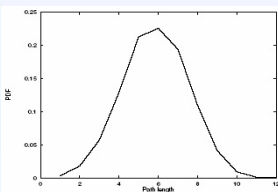
Chord: Performance

- Impact of node failures on lookup failure rate
 - lookup failure rate roughly equivalent to node failure rate



Chord: Performance /2

Moderate impact of number of nodes on lookup latency



Consistent average path length

Chord: Performance

- Search performance of "pure" Chord $O(n)$
 - Number of nodes is n
- With finger tables, need $O(\log n)$ hops to find the correct node
 - Fingers separated by at least 2^{i-1}
 - With high probability, distance to target halves at each step
 - In beginning, distance is at most 2^m
 - Hence, we need at most m hops
- For state information, "pure" Chord has only successor and predecessor, $O(1)$ state
- For finger tables, need m entries
 - Actually, only $O(\log n)$ are distinct
 - Proof is in the paper
- Management actions (join/leave/fail): $O(\log^2 n)$

References / acknowledgments

- Slides from:
 - Jussi Kangasharju
 - Christian Schindelhauer
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